

You should be able to answer questions dealing with these concepts. Study the practice problems, guided examples, WeBWork, and examples worked in the textbook, as well as the practice test.

- Linear Functions $f(x) = mx + b$
- Quadratic Functions $f(x) = ax^2 + bx + c$
 - completing the square
 - vertex form $f(x) = a(x - h)^2 + k$
 - vertex and axis of symmetry
 - x -intercepts
 - average rate of change
- Power Functions $f(x) = kx^a, a \in \mathbb{R}, a \neq 0$
 - square root function
- Monomial Functions $f(x) = kx^n, n = 0, 1, 2, 3, \dots$
 - end behaviour for n even, n odd
 - sketching monomials
 - reciprocal function
- Polynomials
 - terminology: term, coefficients, leading term
 - local extrema
 - end behaviour: $\lim_{x \rightarrow \infty} f(x)$ and $\lim_{x \rightarrow -\infty} f(x)$
 - zeros of polynomials, multiplicity, crossing x -axis
- Zeros of Polynomials
 - long division algorithm for polynomials
 - remainder theorem
 - factor theorem
 - rational zero theorem
- Sketching Polynomials
 - Examine end behaviour (horizontal asymptotes, slant asymptotes),
Find any x -intercepts (factor the polynomial if possible),
Find the y -intercept, which is $f(0)$ (it might be a point of interest).
- Sketching Rational Functions of the form $f(x) = \frac{ax + b}{cx + d}$
 - find how f is transformed from the reciprocal function $y = 1/x$
- Sketching a General Rational Function
 - Examine end behaviour (horizontal asymptotes, slant asymptotes),
Look for vertical asymptotes (factor the denominator if possible),
Find any x -intercepts (factor the numerator if possible),
Find the y -intercept, which is $f(0)$ (it might be a point of interest).
- Solving Equalities
 - solving polynomial equations $f(x) = 0$
 - solving rational equations $f(x)/g(x) = 0$
 - * lowest common denominator
 - * extraneous solutions
 - * indeterminate forms ($\frac{0}{0}$ is an indeterminate form, you need to do some work to determine what it is)
- Solving Inequalities
 - sign chart
 - polynomial inequalities
 - rational inequalities
 - radical inequalities, absolute value inequalities